



## **Introduction**:

- ➤ Task:
  - Design an easy-to-implement and fully differentiable Joint optimization loss for Spherical Image Object Detection.
- > Challenges:
  - Spherical IoU is not differentiable, making it impossible to use as a loss function for box.
  - Currently, only independently optimized Ln loss can be used in spherical object detection.
- Contributions:
  - We explore a new regression loss function based on Gaussian Label Distribution Learning (GLDL) for spherical object detection task. It achieves a trend-level alignment with SphloU loss and thus naturally improves the model.
  - We align the measurement between sample selection and loss regression based on the GLDL, and then construct new dynamic sample selection strategies (GLDL-ATSS) accordingly. GLDL-ATSS can alleviate the drawback of IoU threshold-based strategy (i.e., scale-sample imbalance).
  - Extensive experimental results on two datasets and popular spherical image detectors show the effectiveness of our approach.

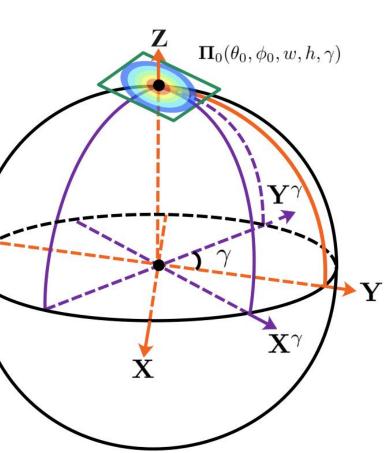
# **Proposed Method:**

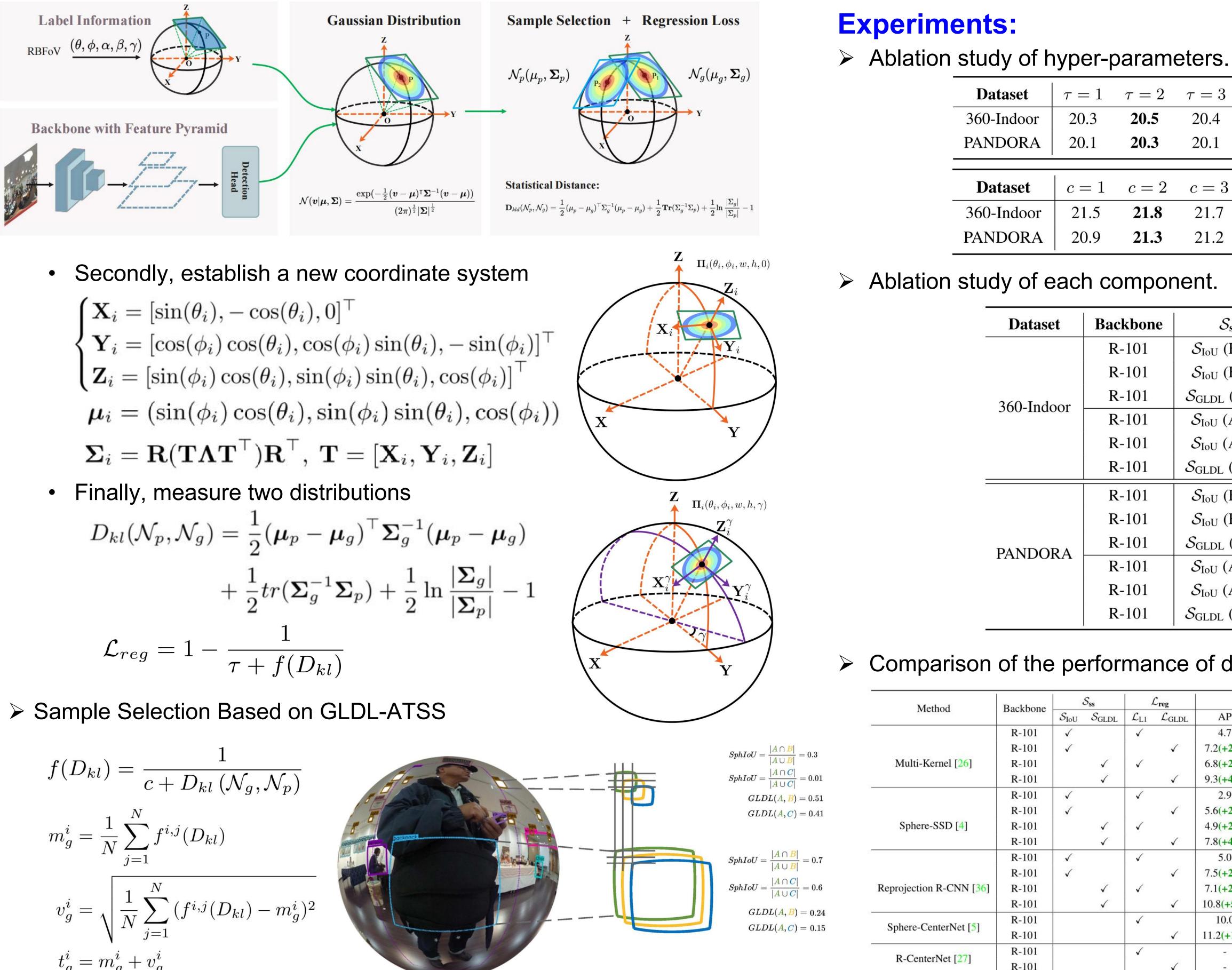
- Gaussian Label Distribution Learning
  - Firstly, transform the box in polar region to a Gaussian distribution

$$oldsymbol{\mu}_0 = [\sin(\phi_0)\cos( heta_0),\sin(\phi_0)\sin( heta_0),\cos(\phi_0)] 
onumber \ oldsymbol{\Sigma}_0 = \mathbf{R} oldsymbol{\Lambda} \mathbf{R}^ op,$$

$$\mathbf{R} = \begin{bmatrix} \cos \gamma & -\sin \gamma & 0\\ \sin \gamma & \cos \gamma & 0\\ 0 & 0 & 1 \end{bmatrix}, \ \mathbf{\Lambda} = \begin{bmatrix} \frac{w^2}{4} & 0 & 0\\ 0 & \frac{h^2}{4} & 0\\ 0 & 0 & 0 \end{bmatrix}$$

# Gaussian Label Distribution Learning for Spherical Image Object Detection Hang Xu<sup>1,2</sup>, Xinyuan Liu<sup>2</sup>, Qiang Zhao<sup>2</sup>, Yike Ma<sup>2</sup>, Chenggang Yan<sup>1</sup>, Feng Dai<sup>2</sup> <sup>1</sup>Hangzhou Dianzi University <sup>2</sup>Institute of Computing Technology, Chinese Academy of Sciences





$$f(D_{kl}) = \frac{1}{c + D_{kl} (\mathcal{N}_g, \mathcal{N}_p)}$$
$$m_g^i = \frac{1}{N} \sum_{j=1}^N f^{i,j}(D_{kl})$$
$$v_g^i = \sqrt{\frac{1}{N} \sum_{j=1}^N (f^{i,j}(D_{kl}) - m_g^i)^2}$$
$$t_g^i = m_g^i + v_g^i$$





- = 1	$\tau = 2$	$\tau = 3$	$\tau = 4$	$\tau = 5$	baseline
20.3 <b>20.5</b>		20.4 20.0		19.4	17.6
<b>20</b> .1 <b>20.3</b>		20.1	20.1 19.9		17.2
c = 1	c = 2	c = 3	c = 4	c = 5	baseline
21.5	21.8	21.7	21.4	21.2	20.1

	Backbone	$\mathcal{S}_{ ext{ss}}$	$\mathcal{L}_{reg}$	$\mathbf{AP}_{50}$	
	<b>R-101</b>	$\mathcal{S}_{\text{IoU}}$ (Fixed)	$\mathcal{L}_{L1}$	17.6	
	<b>R-101</b>	$\mathcal{S}_{ ext{IoU}}$ (Fixed)	$\mathcal{L}_{ ext{GLDL}}$	20.7 (+3.1)	
	<b>R-101</b>	$\mathcal{S}_{\mathrm{GLDL}}$ (Fixed)	$\mathcal{L}_{ ext{GLDL}}$	22.8 (+5.2)	
	<b>R-101</b>	$\mathcal{S}_{\text{IoU}}$ (ATSS)	$\mathcal{L}_{L1}$	20.1	
	<b>R-101</b>	$\mathcal{S}_{\mathrm{IoU}}$ (ATSS)	$\mathcal{L}_{ ext{GLDL}}$	22.3 ( <b>+2.2</b> )	
	<b>R-101</b>	$\mathcal{S}_{\text{GLDL}}$ (ATSS)	$\mathcal{L}_{ ext{GLDL}}$	25.0 ( <b>+4.9</b> )	
	R-101	$\mathcal{S}_{IoU}$ (Fixed)	$\mathcal{L}_{L1}$	17.2	
	<b>R-101</b>	$\mathcal{S}_{ ext{IoU}}$ (Fixed)	$\mathcal{L}_{ ext{GLDL}}$	21.4 (+ <b>4.2</b> )	
	<b>R-101</b>	$\mathcal{S}_{\mathrm{GLDL}}$ (Fixed)	$\mathcal{L}_{ ext{GLDL}}$	22.7 (+5.5)	
	<b>R-101</b>	$\mathcal{S}_{\text{IoU}}$ (ATSS)	$\mathcal{L}_{L1}$	19.6	
	<b>R-101</b>	$\mathcal{S}_{\mathrm{IoU}}$ (ATSS)	$\mathcal{L}_{ ext{GLDL}}$	23.4 ( <b>+3.8</b> )	
	<b>R-101</b>	$\mathcal{S}_{\text{GLDL}}$ (ATSS)	$\mathcal{L}_{ ext{GLDL}}$	25.2 ( <b>+5.6</b> )	

### $\succ$ Comparison of the performance of different methods.

$S_{ss}$		$\mathcal{L}_{reg}$		360-Indoor		PANDORA			
oU	$\mathcal{S}_{ ext{GLDL}}$	$\mathcal{L}_{L1}$	$\mathcal{L}_{ ext{GLDL}}$	AP	$AP_{50}$	AP <sub>75</sub>	AP	$AP_{50}$	AP <sub>75</sub>
(		~		4.7	11.1	2.8	4.2	10.8	2.2
(			$\checkmark$	7.2(+2.5)	14.2( <b>+4.1</b> )	5.4( <b>+2.4</b> )	7.8(+3.6)	15.6(+4.8)	4.3( <b>+2.1</b> )
	$\checkmark$	1		6.8( <b>+2.1</b> )	13.9(+2.8)	4.7( <b>+1.9</b> )	6.2( <b>+2.0</b> )	14.5(+3.7)	3.9(+1.7)
	$\checkmark$		$\checkmark$	9.3(+4.6)	17.2( <b>+6.1</b> )	6.6(+3.8)	10.2(+6.0)	17.6(+6.8)	6.9( <b>+4.4</b> )
(		$\checkmark$		2.9	7.8	1.4	2.3	7.7	1.5
(			$\checkmark$	5.6(+2.7)	10.8(+3.0)	4.2( <b>+2.8</b> )	5.9( <b>+3.6</b> )	12.3(+4.6)	4.9( <b>+3.4</b> )
	$\checkmark$	~		4.9(+2.0)	10.2(+2.4)	3.7(+2.3)	4.1(+1.8)	9.8( <b>+2.1</b> )	3.2(+1.7)
	$\checkmark$		$\checkmark$	7.8(+4.9)	12.6(+4.8)	5.4( <b>+4.0</b> )	8.0(+5.7)	13.8( <b>+6.1</b> )	6.8(+5.3)
(		~		5.0	15.3	1.9	4.2	14.7	1.8
(			$\checkmark$	7.5(+2.5)	18.2(+2.9)	3.8( <b>+1.9</b> )	7.9(+3.7)	18.7(+4.0)	4.5(+2.7)
	$\checkmark$	~		7.1(+2.1)	17.8(+2.5)	3.2(+1.3)	6.8(+2.6)	17.4(+2.7)	3.0(+1.2)
	$\checkmark$		$\checkmark$	10.8(+5.8)	22.5(+7.2)	5.3(+3.4)	11.1( <b>+6.9</b> )	22.8(+8.1)	5.8( <b>+4.0</b> )
		~		10.0	24.8	6.0	-	-	-
			$\checkmark$	11.2(+1.1)	26.1(+1.3)	7.4(+1.4)	-		-
		~		-	-	-	7.3	22.7	2.6
			$\checkmark$	-	-	-	8.7(+1.4)	24.3(+1.6)	4.5( <b>+1.9</b> )